We present a streaming, Transformer-based end-to-end automatic speech recognition (ASR) architecture which achieves efficient neural inference through compute cost amortization. Our architecture creates sparse computation pathways dynamically at inference time, resulting in selective use of compute resources throughout decoding, enabling significant reductions in compute with minimal impact on accuracy. The fully differentiable architecture is trained end-to-end with an accompanying lightweight arbitrator mechanism operating at the frame-level to make dynamic decisions on each input while a tunable loss function is used to regularize the overall level of compute against predictive performance. We report empirical results from experiments using the compute amortized Transformer-Transducer (T-T) model conducted on LibriSpeech data. Our best model can achieve a 60% compute cost reduction with only a 3% relative word error rate (WER) increase.

Index Terms: automatic speech recognition, compute cost optimization, Transformer, dynamic inference, amortization

1. Introduction

The rapidly expanding adoption of voice assistant systems has coincided with trending approaches for speech and natural language processing (NLP) implemented with end-to-end, fully neural architectures [1, 2, 3]. However, real-time execution and compute resource considerations have challenged the speech community to adopt these neural approaches to realize their predictive accuracy while addressing the high compute requirements for neural network inference [4].

Meanwhile, the marked success of Transformers in NLP [5, 6, 7] has motivated researchers to modify and apply these architectures for ASR systems [8, 9, 10, 11, 12, 13]. Given the superior performance of capturing temporal contextual information from streaming input, the application of Transformer-based ASR has been demonstrated to achieve lower WER compared to recurrent neural network (RNN) architectures [8, 13, 12, 14]. Nevertheless, the additional compute demand of the Transformer, such as the quadratic computation complexity of the core self-attention mechanism, introduces further obstacles of model scalability and can hinder production deployments. Therefore, it is desirable to design efficient inference approaches for Transformer-based ASR which enable the models to perform in common virtual assistant settings, such as executing on resource constrained, low-power edge devices in real-time.

Since its inception, various approaches have been proposed for reducing Transformer cost where most focus on scaling the self-attention mechanism. For example, Performer [15] and Linformer [16] leverage low-rank approximations of the self-attention matrix to lighten both memory and computation cost. Another prominent technique is to naturally sparsify the attention matrix by limiting the field of view to fixed and predefined patterns such as local sliding windows [17] and block-wise paradigms [18]. Meanwhile, [19, 20] exploit forms of learnable sparsity patterns by sorting/clustering the input values. The direction of these approaches is still to apply fixed patterns with consideration of the global view of the sequence. We refer readers to [21] for a thorough survey and summary of efficient Transformer methods. While delivering impressive results, applied in isolation, these methods have limitations for real-time, low-footprint, speech applications which our approach seeks to address. Adaptability: Deployed, production voice-assistants are required to generalize to a wide spectrum of input varieties. Dimensions such as audio length (short commands or longer dialogues and dictations), quality of audio, and speaker characteristics all differ significantly for each input. One-size-fits-all, static approaches can face obstacles in adapting to the various input demands while maximizing model performance. Locality: Previous methods emphasize simplifying the scaled dot-product attention operation whereas other components (e.g. feed-forward (FF) layers) also consume a significant proportion of compute cost, especially for shorter inputs. Where prior works focus on reducing attention head cost in isolation, we will emphasize addressing the compute budget by holistically considering the entire network and its composite components in unison. Expressivity: Ultimately parameter reductions and compression methods for more efficient inference can eventually inhibit modeling capacity in the network, leading to a degradation in predictive performance. We look to reduce compute inference while retaining full model capacity and without any alterations of the underlying Transformer architecture, the approach should be compatible with other compression techniques.

To address these motivations, in this work, we present a Transformer architecture which is able to amortize compute cost on demand at inference by dynamically activating compute components conditioned on input frames. Our work is inspired by prior investigations of dynamic compute for speech processing which have yielded notable results [22, 23, 24, 25]. Considering speech examples can be lengthy streaming sequences with many frames of different levels of inherent complexity (e.g. consider silent frames between acoustically rich segments), dynamic computing enables a desired balance between accuracy and efficiency by altering the compute expenditure each frame. Unlike existing methods [22, 24, 25] which bifurcate ASR into only two fixed branched encoder networks, with our approach, an exponential family of dynamic branches are generated from a single Transformer encoder which significantly expands the modeling space and boosts the adaptability and expressivity of the model. Lightweight prediction arbitrators (e.g. a simple FF or RNN) are devised to holistically amortize compute cost across the whole of the input within the entire Transformer encoder by sketching sparse, yet robust computation pathways on
2. Transformer Basics

The Transformer architecture is a multi-layered network defined by the Transformer block which is stacked multiple times in succession. The workhorse of the Transformer block consists of its multi-headed self-attention (MHA) layer. The MHA operation is subsequently followed by a FF module with intermittent layer normalization and residual connections. For input $X$ and head attention $h$, three matrices are computed in an MHA layer: the query $Q_h$, the key $K_h$, and the value $V_h$ by

$$Q_h = W_qX, \quad K_h = W_kX, \quad V_h = W_vX \quad (1)$$

from learned weight matrices $W_q$, $W_k$, and $W_v$ of dimension $(d \times d)$, where $d$ is the representation dimension and $H$ is the number of attention heads. The queries and keys are pairwise compared and scored across input pairs. The computed values are then weighted through a Softmax operation on the attention logits $P_h$ to derive the attention output $A_h$:

$$A_h = \text{Softmax}(P_h) V_h = \text{Softmax}(\alpha Q_hK_h^T)V_h \quad (2)$$

The $\alpha$ is a scaling factor typically set to $\frac{1}{\sqrt{d}}$. The output of the attention heads $A_1, \ldots, A_H$ are then concatenated together and passed into a linear projection $Y = W_o[A_1 \cdots A_H]$. $Y$ is then layer normalized and a skip connection added to arrive at the attention output $X_{At}$. It is then fed position-wise through a $d_f$-dimension FF1 layer followed by a $d$-dimension FF2 layer as $\text{FF2}(\text{FF1}(X_{At}))$ before a final layer normalization and skip connection.

3. Compute Cost Amortized Transformer

The fundamental component of our proposed framework is shown in Figure 1 which depicts the $i$-th Transformer block and a lightweight arbitrator network $D(i)$. The arbitrator is the core of the amortization mechanism, and it is much lighter in size compared to the Transformer encoder such that it does not introduce significant compute overhead at inference time. The arbitrator takes an input $x^i$, the feature frame at timestep $t$, and predicts a set of toggle decisions. Toggles turn-off components of the transformer block by effectively zeroing-out their contribution to the forward pass. Toggling operates on both the FF module ($\text{FF1} + \text{FF2}$) and the MHA component of the Transformer block to create sparse compute pathways.

In our design, we consider each FF module as an integrated unit. Namely, when toggling off is triggered for the FF module on a particular frame, the FF module evaluation would be skipped over, or rather, the output to it would be identical to its input because of the residual shortcut. As a result, each frame in which a FF module is toggled off, two $O(d \cdot d_f)$ floating point operations (FLOPs) are eliminated from inference.

Next, we will introduce the details of our toggle approaches for the MHA module.

3.1. Multi-headed Attention Toggling

The bulk of the neural inference cost for Transformer MHA layers can be attributed to three sources. The first source is the $W_q$, $W_k$, and $W_v$ weight matrix operations performed on each input across all attention heads and layers. The second and more commonly discussed source comes from the quadratic scaling (in input length) across attention heads where pairwise interactions are computed with the dot product between all inputs for each layer and attention head. The last source is the final linear projection $W_o$. In our design, to make the calculation in MHA modules more efficient and well-structured, we introduce two types of toggling to control these computations: query-based and key-based.

In query-based toggling, the arbitrator can decide to ignore the output from an attention head at timestep $t$ by simply replacing the result with a zero-vector. As a result, $W_v$ need not be applied to the input and a component of the projection $W_o$ for the head can be skipped as well, saving two $O(d^2/H)$ operations. In a complementary fashion, with key-based toggling, the arbitrator can decide to ignore keys in the attention mechanism. As a result, neither the key computed with $W_k$ nor the values with $W_v$ need be computed at that timestep, saving again two $O(d^2/H)$ operations. Both toggles also save computation on the scaled attention as well. Query-based toggling achieves it immediately, by not computing attention on the current frame, while key-based toggling eliminates an extra dot product computation for each future frame. Thus, the toggling will inject the sparsity into the attention matrix, where each non-contributing cell saves $O(d/H)$ operations. See Figure 2, which shows the visualization of the proposed toggle strategies on the attention matrix. Interestingly, the impacts in terms of compute reductions have varying dynamics based on a toggle’s type and positional occurrence. A query toggle off saves more compute near the end of the sequence, as it gets to ignore all past history, while the key-toggle pays the most dividends if done early in the sequence, where each subsequent frame gets to benefit from the savings. Our arbitrators learn to apply both key-based and query-based toggling in conjunction to capitalize on the benefits of both.

3.2. End-to-End Optimization

In our amortization framework, we aim to design the arbitrator to be jointly optimized with the Transformer network. The arbitrator network $D(i) = (D_f(i), D_{A(i)}, D_{q}(i))$ is decomposable into three functions representing each of the corresponding toggle types. Hence, the arbitrator produces the decisions (probabilities) at each timestep $t$ for retaining or discarding compute components for FF modules, queries, and keys as $p_f^t = D_f(x^i) \in [0, 1]^H$, $p_q^t = D_{q}(x^i) \in [0, 1]^{B \times H}$ and

![Figure 1: Illustration of the arbitrator and Transformer backbone in each block. The lightweight arbitrator toggles whether to evaluate subcomponents during the forward pass.](image-url)
query-based toggling

key-based toggling

query&key-based toggling

Figure 2: Illustration of query-based toggling, key-based toggling, and query&key-based toggling on attention maps.

$p_k^t = D_k(x^t) \in [0, 1]^{B \times H}$, where $B$ and $H$ denote the number of Transformer blocks and the number of heads, respectively. Since the decisions emitted from the arbitrator network are not binary (with ideally $p = 0$ indicating skip and $p = 1$ for compute), they are passed to a sampler, which is responsible for converting those decisions to harder decisions $s^t$. During training time, we apply the Gumbel-Softmax/Sigmoid technique to generate differentiable samples from the arbitrator’s soft probability outputs. The arbitrator output is used to create simple masks for each component during training which are used to efficiently train the full architecture end-to-end. For example, an attention mask $M_h$ for head $h$ of an attention block would be defined with entries $(t, j)$ as

$$M_{h}^{t,j} = \begin{cases} -\infty & \text{if } t < j, \text{ enforcing causality} \\ \ln(s_k^t) & \text{otherwise} \end{cases}$$

where $s_k^t$ is the sampled key toggle decision at time $t$. We can then update Equation 2 with simply$^1$

$$A_h = \text{Softmax}(P_h + M_h)V_h.$$  

With the application of masking, the forward pass of our model is completed with little additional training overhead for computing the arbitrator results and mask generation. The entire training procedure is differentiable and both the arbitrator and main Transformer network learned jointly.

To control the total amount of compute used at inference, we regularize the decisions of the arbitrator with a modified objective function:

$$\mathcal{L} = \mathcal{L}_{\text{transducer}} + \beta \cdot \mathcal{L}_{\text{compute}},$$

which includes the standard neural transducer loss [22] and an added compute cost penalty term $\mathcal{L}_{\text{compute}}$. Accounted for by the cumulative number of FLOPs across the components of the network for a streaming sequence, $\mathcal{L}_{\text{compute}}$ drives more computation cost reduction while maintaining predictive performance of the model. Including the scaling-factor $\beta$ enables us to balance this trade-off and even anneal this value during training for greater stability and superior model convergence. See Section 4 for experimental details.

Table 1: Transformer encoder parameter setup.

<table>
<thead>
<tr>
<th>Model</th>
<th>Params</th>
<th>FLOPs/frame</th>
</tr>
</thead>
<tbody>
<tr>
<td>Transformer Encoder</td>
<td>35M</td>
<td>34M</td>
</tr>
<tr>
<td>Single-FF Arb.</td>
<td>0.08M</td>
<td>0.08M</td>
</tr>
<tr>
<td>Dual-FF Arb.</td>
<td>0.16M</td>
<td>0.16M</td>
</tr>
<tr>
<td>Single-RNN Arb.</td>
<td>0.5M</td>
<td>0.5M</td>
</tr>
<tr>
<td>Dual-RNN Arb.</td>
<td>1M</td>
<td>1M</td>
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Table 2: Memory and computation overhead.

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4. Experimental Results

4.1. Experimental Setup

Dataset: We investigate our model using the LibriSpeech corpus [27] which contains 960 hours of training data and the evaluation is performed on a “clean” test data set. To preprocess the audio clips, a 64-dimensional log-filterbank energy feature extractor is applied on all data. These feature frames are stacked with a stride size of two and downsampled by three to produce 30ms frames.

Model Setup: Our baseline model is a streamable Transformer-Transducer (T-T) [8] architecture with a Transformer as the encoder and a two-layer 1024-unit LSTM prediction network. The detailed configuration for the Transformer encoder is listed in Table 1. We implement two types of arbitrator designs: a single and a dual implementation. In the single arbitrator design, one arbitrator network is used to enact the amortized toggling for the Transformer encoder given the initial audio features. With the dual implementation, we break the encoder stack into bottom blocks and top blocks. We use one arbitrator to operate on the bottom blocks from the input signal and use the second arbitrator on the top blocks with ingesting as input the output from the lower blocks. All arbitrators are implemented with either a two-layer, 128-unit FF module or a two layer, 128-unit LSTM module. The arbitrator networks consist of an output projection layer to the proper toggle dimension to produce amortization decision masks. As we can see from Table 2, the arbitrators (Arb.) are consid-

$^1$In practice we found masking both key and value computations added robustness during training.
WER measurements as our accuracy metric. All the models used standard RNN-T beam search decoding with a width of 16 to obtain best WER. We use a vocabulary of 4097 word pieces and the standard learning rate schedule is ramped up linearly during first 16K steps. The Gumbel sampling is enabled for the final 80 epochs of training with its temperature linearly annealed from 1 to 1e−5 and its contribution scaling factor annealed from 0 to 1. By annealing the Gumbel sampling parameters, we switch the arbitrator output transitions from “softer” to “harder” decisions along training.

For all trainings, the Adam optimizer [28] is applied and the learning rate schedule is ramped up linearly during first 16K steps. We use a vocabulary of 4097 word pieces and the standard RNN-T beam search decoding with a width of 16 to obtain WER measurements as our accuracy metric. All the models for experiments presented in this paper are trained on 3 × 8 NVIDIA Tesla V100 GPUs with a per-core batch size of 16 (effective batch size of 384).

### 4.2. Main Results

We train the full causal T-T model and report a WER of 8.12% as our main baseline. We also build baseline models using a causal T-T with a limited view via the sliding windows where the attention is computed only on the current frame and 10 previous frames [8], and a baseline which relies on purely randomized toggling to achieve its compute reduction.

For our compute amortized T-T, the WER and the compute cost reduction of Transformer encoder for different model settings are reported in Table 3. We varied the experiments using different MHA toggle settings to use only query-based, only key-based and both query&key-based. The sampling parameters are set to use hard toggle decisions for all evaluations such that true sparse pathways are created by discarding compute operations in the forward pass. Our best model using query&key-based toggling with a dual-RNN arbitrator can achieve a significant 60.31% compute cost reduction while only incurring a minor 3% increase in relative WER compared to the baseline model. Furthermore, our approach significantly outperforms the sliding window baseline which only reduces 12.95% compute cost while causing 8.6% relative WER increase.

To further investigate the behavior of our proposed compute cost amortized Transformer, we visualize in Figure 3 the arbitrator output from an example utterance. The vertical axes of these heatmaps represent the frames of the audio streaming while the horizontal axes represent the network layers/MHA heads from lowest to highest levels. We include both soft decision and hard decision heatmaps where the darker regions signal toggle-off decisions. We can observe clear amortization patterns emerging in many dimensions. First, we find that the arbitrator can learn to toggle off for lower complexity frames, particularly silence regions between more acoustically rich areas. Second, we find that query-based toggling off has a higher occurrence than key-based on the lower levels near the signal representation. Conversely, key-based toggling off has a higher occurrence than query-based in the higher levels near the output of the network. Intuitively this aligns with the idea that there is compressibility/redundancy with higher level representations in the top layers of the network which therefore can be stored sparsely in the accumulated history via key toggling off frames. Additionally, one observes overall more toggling off occurring in the lower blocks generally for MHA where typically, the bottom representations are closer to the raw features than the top layer representations. Last, we see more key computations are eliminated at the end of the utterance. This also aligns with intuition because for late keys, there are not many future frames in which their keys would be required for attention.

### 5. Conclusion

In this work, we propose to improve the compute cost for Transformer-based streaming ASR models using amortization mechanisms. For each input frame, a sparse computation pathway is created in a dynamic fashion based on the binary decision output from lightweight prediction arbitrators. Extensive experimental results demonstrate that our models are able to yield significant compute cost reductions with negligible prediction performance loss.
6. References


